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Dated: 01.09.2023

No.AC2(S)/151/2020-21

Notification

Sub:- Syllabus and Scheme of Examinations of Physics (UG) (V & VI Semester) with effect from the Academic year 2023-24.

Ref:- 1. This office letter No: AC6/303/2022-23 dated: 28-07-2023.

2. Decision of BOS in Physics (UG) meeting held on 07-08-2023.

The Board of Studies in Physics (UG) which met on 07-08-2023 has resolved to recommended and approved the syllabus and scheme of Examinations of Physics programme (V & VI Semester) with effect from the Academic year 2023-24.

Pending approval of the Faculty of Science & Technology and Academic Council meetings the above said syllabus and scheme of examinations are hereby notified.

The syllabus and scheme of Examinations contents may be downloaded from the University website i.e., www.uni-mysore.ac.in.

To:-

- 1. All the Principal of affiliated Colleges of University of Mysore, Mysore.
- 2. The Registrar (Evaluation), University of Mysore, Mysuru.
- 3. The Chairman, BOS/DOS, in Physics, Manasagangothri, Mysore.
- 4. The Director, Distance Education Programme, Moulya Bhavan, Manasagangotri, Mysuru.
- 5. The Director, PMEB, Manasagangothri, Mysore.
- 6. Director, College Development Council, Manasagangothri, Mysore.
- 7. The Deputy Registrar/Assistant Registrar/Superintendent, Administrative Branch and Examination Branch, University of Mysore, Mysuru.
- 8. The PA to Vice-Chancellor/ Registrar/ Registrar (Evaluation), University of Mysore, Mysuru.
- 9. Office Copy.

Curriculum

of

BSc in Physics

(NEP)

5th & 6th
Semesters

University of Mysore, Mysuru

PROPOSED COURSE FRAME WORK IN PHYSICS AS PER HIGHER EDUCATION COUNCIL GUIDELINES (for Two Majors)

Sem.	Course	Course Code	Course Title	Credits	Instructional Hours per week		Duration			
No.	Category			Assigned		Practical	of Exam (Hrs.)	IA	Exam	Total
		РНҮ С9-Т	Classical Mechanics -I and Quantum Mechanics-I	04	04		02	40	60	100
	DSC PHYSICS	РНҮ С10-Р	Classical Mechanics -I and Quantum Mechanics-I Practical	02	-	04	03	25	25	50
	MAJOR	РНҮ С11-Т	Elements of Atomic, Molecular and Laser Physics	04	04		02	40	60	100
V		РНҮ С12-Р	Elements of Atomic, Molecular and Laser Physics Practical	02	-	04	03	25	25	50
	DSC	X9-T		04	04		02	40	60	100
		X10-P		02	-	04	03	25	25	50
	SECOND	X11-T		04	04		02	40	60	100
	MAJOR	X12-P		02	-	04	03	25	25	50
	SEC		Employability skills or Cyber Security	03	02	02		25	25	50
			Total	27				285	365	650
		РНҮ С13-Т	Elements of Condensed Matter & Nuclear Physics	04	04		02	40	60	100
	DSC PHYSICS	РНҮ С14-Р	Elements of Condensed Matter & Nuclear Physics Practical	02	-	04	03	25	25	50
	MAJOR	PHY C15-T	Electronic Instrumentation & Sensors	04	04		02	40	60	100
***		РНҮ С16-Р	Electronic Instrumentation & Sensors Practical	02	-	04	03	25	25	50
VI	DSC	X13-T		04	04		02	40	60	100
		X14-P		02	-	04	03	25	25	50
	SECOND MAJOR	X15-T		04	04		02	40	60	100
		X16-P		02	-	04	03	25	25	50
	Internship	INTERNSHIP	Internship	02		04		50		50
			Total	26				310	340	650

B.Sc in Physics V Semester

Curriculum

Program Name	BSc i	n Physics	Semester	V
Course Title	Classica	al Mechanics	and Quantum Mechanics	s- I (Theory)
Course Code	РНҮ С9-Т		No. of Credits	04
Contact Hours	60 Hours		Duration of SEA/Exam	02 Hours
Formative Marks	Assessment	40	Summative Assessment Marks	60

Course Pre-requisite(s):

Course Outcomes (COs): After the successful completion of the course, the student will be able to

- Identify the failure of classical physics at the microscopic level.
- Find the relationship between the normalization of a wave function and the ability to correctly calculate expectation values or probability densities.
- Explain the minimum uncertainty of measuring both observables on any quantum state.
- Describe the time-dependent and time-independent Schrödinger equation for simple potentials like for instance one-dimensional potential well and Harmonic oscillator.
- Apply Hermitian operators, their eigenvalues and eigenvectors to find various commutation and uncertainty relations.

Contents	60 Hrs
Introduction to Newtonian Mechanics: Frames of references, Newton's laws of motion, inertial and non-inertial frames. Mechanics of a particle, Conservation of linear momentum, Angular momentum and torque, conservation of angular momentum, work done by a force, conservative force and conservative energy. Lagrangian formulation: Constraints, Holonomic constraints, non-holonomic constraints, Scleronomic and Rheonomic constraints. Generalized coordinates, degrees of freedom, Principle of virtual work, D'Alembert's principle, Lagrange equations. Newton's equation of motion from Lagrange equations, simple pendulum, Atwood's machine and linear harmonic oscillator.	
Activities: 12 Hours 03 Hours	
Variational principle: Hamilton's principle, Deduction of Hamilton's principle, Lagrange's equation of motion from Hamilton's principle, Hamilton's principle for non-holonomic systems. Hamiltonian Mechanics: The Hamiltonian of a system, Hamilton's equations of motion, Hamilton's equations from variational principle, Integrals of Hamilton's equations, energy integrals, Canonical Transformations, Poison Brackets, fundamental properties and equations of motion in Poison Brackets. 12Hours Activities: 03 Hours	

Introduction to Quantum Mechanics

Brief discussion on failure of classical physics to explain black body radiation, Photoelectric effect, Compton effect, stability of atoms and spectra of atoms.

Compton scattering: Expression for Compton shift (With derivation).

Matter waves: de Broglie hypothesis of matter waves, Electron microscope, Wave description of particles by wave packets, Group and Phase velocities and relation between them, Experimental evidence for matter waves: Davisson- Germer experiment, G.P Thomson's experiment and its significance.

Heisenberg uncertainty principle: Elementary proof of Heisenberg's relation between momentum and position, energy and time, angular momentum and angular position, illustration of uncertainty principle by Gamma ray microscope thought experiment. Consequences of the uncertainty relations: Diffraction of electrons at a single slit, why electron cannot exist in nucleus?

Two-slit experiment with photons and electrons. Linear superposition principle as a consequence.

Activities: 12 Hours 03 Hours

Foundation of Quantum Mechanics

15

15

Probabilistic interpretation of the wave function - normalization and orthogonality of wave functions, Admissibility conditions on a wave function, Schrödinger equation: equation of motion of matter waves - Schrödinger wave equation for a free particle in one and three-dimension, time-dependent and time-independent wave equations, Probability current density, equation of continuity and its physical significance, Postulates of Quantum mechanics: States as normalized wavefunctions. Dynamical variables as linear Hermitian operators (position, momentum, angular momentum, and energy as examples). Expectation values of operators and their time evolution. Ehrenfest theorem (no derivation), Commutator brackets- Simultaneous Eigen functions, Commutator bracket using position, momentum and angular momentum operators.

Particle in a one-dimensional infinite potential well (derivation), degeneracy in three-dimensional case, particle in a finite potential well (qualitative), Transmission across a potential barrier, the tunnel effect (qualitative), scanning tunnelling microscope, One-dimensional simple harmonic oscillator (qualitative) - concept of zero - point energy.

12 Hours

Activities: 03 Hours

Pedagogy: Lecture/ PPT/ Videos/ Animations/ Role Plays/ Think-Pair-Share/ Predict-Observe-Explain/ Demonstration/ Concept mapping/ Case Studies examples/ Tutorial/ Activity/ Flipped Classroom/ Jigsaw/ Field based Learning/ Project Based Learning/ Mini Projects/ Hobby Projects/ Forum Theatre/ Dance/ Problem Based Learning/ Game Based Learning/ Group Discussion/ Collaborative Learning/ Experiential Learning / Self Directed Learning etc.

Formative Assessment for The	eory
Assessment Occasion/ type	Marks

Total	40 Marks
Formative Assessment as per UNIVERSITY gr	uidelines are compulsory

	References
1	Classical Mechanics, H.Goldstein, C.P. Poole, J.L. Safko, 3rd Edn. 2002, Pearson Education.
2	Classical Mechanics: An introduction, Dieter Strauch, 2009, Springer
3	Classical Mechanics, G. Aruldhas, 2008, Prentice-Hall of India Private limited, New Delhi.
4	Classical Mechanics, Takwale and Puranik-1989, Tata Mcgraw Hill, new Delhi
5	Concepts of Modern Physics, Arthur Beiser, McGraw-Hill, 2009.
6	Physics for Scientists and Engineers with Modern Physics, Serway and Jewett, 9th edition, Cengage Learning, 2014.
7	Quantum Physics, Berkeley Physics Course Vol. 4. E.H. Wichman, Tata McGraw-Hill Co., 2008.
8	Six Ideas that Shaped Physics: Particle Behave like Waves, Thomas A. Moore, McGraw Hill, 2003.
9	P M Mathews and K Venkatesan, A Textbook of Quantum Mechanics, Tata McGraw Hill publication, ISBN: 9780070146174.
10	Ajoy Ghatak, S. Lokanathan, Quantum Mechanics: Theory and Applications, Springer Publication, ISBN 978-1-4020-2130-5.
11	Modern Physics; R.Murugeshan & K.Sivaprasath; S. Chand Publishing.
12	G Aruldhas, Quantum Mechanics, Phi Learning Private Ltd., ISBN: 97881203363.
13	Gupta, Kumar & Sharma, Quantum Mechanics, Jai Prakash Nath Publications.
14	Physics for Degree Students B.Sc., Third Year, C.L.Arora and P.S.Hemne, 1st edition, S.Chand & Company Pvt. Ltd., 2014.

Course Title		al Mechanics and ım Mechanics- I cal)	Practical Credits	02
Course Code	PHY C	10-P	Contact Hours	04 Hours
Formative Assessment		25 Marks	Summative Assessment	25 Marks

Practical Content

Lab experiments: (at least 4 experiments from 1-8 and 4 experiments from 9-18)

- 1) To determine 'g', the acceleration due to gravity, at a given place, from the $L-T^2$ graph, for a simple pendulum.
- 2) Studying the effect of mass of the bob on the time period of the simple pendulum.

[Hint: With the same experimental set-up, take a few bobs of different materials (different masses) but of same size. Keep the length of the pendulum same for each case. Starting from a small angular displacement of about 10° find out, in each case, the time period of the pendulum, using bobs of different masses. Does the time period depend on the mass of the pendulum bob? If yes, then see the order in which the change occurs. If not, then do you see an additional reason to use the pendulum as a time measuring device.

3) Studying the effect of amplitude of oscillation on the time period of the simple pendulum.

[Hint: With the same experimental set-up, keep the mass of the bob and length of the pendulum fixed. For measuring the angular amplitude, make a large protractor on the cardboard and have a scale marked on an arc from 0° to 90° in units of 5° . Fix it on the edge of a table by two drawing pins such that its 0° -line coincides with the suspension thread of the pendulum at rest. Start the pendulum oscillating with a very large angular amplitude (say 70°) and find the time period T of the pendulum. Change the amplitude of oscillation of the bob in small steps of 5° or 10° and determine the time period in each case till the amplitude becomes small (say 5°). Draw a graph between angular amplitude and T. How does the time period of the pendulum change with the amplitude of oscillation? How much does the value of T for A = 10° differ from that for A= 50° from the graph you have drawn? Find at what amplitude of oscillation, the time period begins to vary? Determine the limit for the pendulum when it ceases to be a simple pendulum.]

- 4) Determine the acceleration of gravity is to use an Atwood's machine/Fly Wheel.
- 5) Study the conservation of energy and momentum using projectile motion.
- 6) Verification of the Principle of Conservation of Linear Momentum
- 7) A code in Python-Scilab to plot and analyze the trajectory of projectile motion
- 8) Determination of acceleration due to gravity by Stoke's method
- 9) Determination of Planck constant and work function of the material of the cathode using Photoelectric cell.
- 10) To study the spectral characteristics of a photo-voltaic cell (Solar cell).
- 11) Determination of electron charge 'e' by Millikan's Oil drop experiment.
- 12) To study the characteristics of solar cell.
- 13) To find the value of e/m for an electron by Thomson's method using bar magnets.
- 14) To determine the value of e/m for an electron by magnetron method.
- 15) To study the tunnelling in Tunnel Diode using I-V characteristics.
- 16) Determination of quantum efficiency of Photodiode.
- 17) A code in Python-Scilab to find the first seven eigen states and eigen functions of Linear Harmonic Oscillator by solving the Schrödinger equation.
- 18) A code in Python-Scilab to plot and analyse the wavefunctions for particle in an infinite potential well.

Pedagogy: Demonstration/Experiential Learning / Self Directed Learning etc.

Formative Assessment for Practical

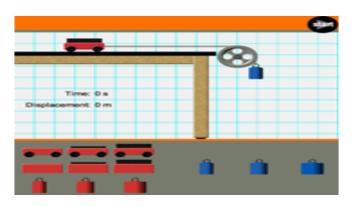
on/ Marks
25 Marks

Formative Assessment as per UNIVERSITY guidelines are compulsory

	References
1	B.Sc Practical Physics by C.L Arora.
2	B.Sc Practical Physics by Harnam Singh and P.S Hemne.
3	Practical Physics by G.S Squires.
4	Scilab Manual for CC-XI: Quantum Mechanics & Applications (32221501) by Dr Neetu Agrawal, Daulat Ram College of Delhi.
5	Scilab Textbook Companion for Quantum Mechanics by M. C. Jain.
6	Computational Quantum Mechanics using Scilab, BIT Mesra.
7	Advanced Practical Physics for Students by Worsnop B L and Flint H T.

Activities

1

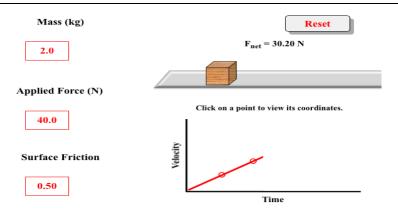


Atwood's Machine

Everyone is fascinated by pulleys. In this Interactive, learners will attach two objects together by a string and stretch the string over a pulley. Both an Atwood's machine and a modified Atwood's machine can be created and studies. Change the amount of mass on either object, introduce friction forces, and measure distance and time in order to calculate the acceleration.

Newton's Laws of Motion

Force



When forces are unbalanced, objects accelerate. But what factors affect the amount of acceleration? This Interactive allows learners to investigate a variety of factors that affect the acceleration of a box pushed across a surface, The amount of applied force, the mass, and the friction can be altered. A plot of velocity as a function of time can be used to determine the acceleration.

In the <u>Balloon Car Lesson Plan</u>, students build and explore balloon-powered cars. This lesson focuses mostly on energy, but it also demonstrates Newton's laws of motion. Guidance is provided for talking specifically about the third law of motion. *Question*: how does the air escaping the balloon relate to Newton's third law of motion? Does the car continue to coast after the balloon is deflated? Why or why not?



Most of the activities and lessons below *focus* on one or two of the laws of motion. The <u>Build a Balloon Car</u> activity specifically **talks about all three of Newton's laws of motion** students can observe when building and experimenting with a simple balloon-powered car. This is an accessible hands-on activity that uses recycled materials and balloons for a fun combined engineering design project and physics experiment. The activity can be used with a wide range of grade levels to introduce and demonstrate the laws of motion. See the "Digging Deeper" section for a straightforward discussion of how each law of motion can be identified in the balloon car activity. (For a related lesson plan, see <u>Balloon Car Lesson Plan</u>, which is NGSS-aligned for middle school and focuses on the third law of motion.)

In the <u>Push Harder — Newton's Second Law</u>, students build their own cars using craft materials and get hands-on exploring Newton's second law of motion and the equation "force equals mass times acceleration" (F=ma). Options for gathering real-time data include using a mobile phone and a sensor app or using a meter stick and a stopwatch. *Questions*: What is the relationship between force, mass, and acceleration? As force increases, what happens to acceleration?



In the <u>Skydive Into Forces</u>, students make parachutes and then investigate how they work to slow down a falling object. As students investigate the forces that are involved, educators can introduce Newton's second law of motion and how different forces change the resulting speed of a falling object. *Questions*: What forces help slow down the speed of a falling object? How does a parachute help slow the fall?



Both standard cameras (DSLRs, phone cameras) and our scientific cameras work on the principle of photoelectric effect to produce an image from light, involving the use of photodetectors and sensor pixels. Prepare a report on the working of digital camera.

Demonstration of Heisenberg uncertainty principle in the context of diffraction at a single slit:

The uncertainty in the momentum Δp_{χ} correspond to the angular spread of principal maxima θ .

Then, $\Delta p_x = \sin \theta . p$ where p is the momentum of the incident photon.

Conduct the diffraction at a slit experiment virtually using the following link https://www.walter-fendt.de/html5/phen/singleslit_en.htm

- 1. Measure the angular spread (θ) for different slit widths (Δx) for given wavelength of the incident photon.
- 2. Determine the momentum of the incident photon using

$$p = \frac{h}{\lambda}$$

3. Create a line of best fit through the points in the plot $\frac{1}{\Delta p_{\chi}}$ against Δx and find its slope. How this exercise is related to Heisenberg Uncertainty principle. Make a report of the observations.

Virtual lab to demonstrate Photoelectric effect using Value@Amritha: Conduct the virtual experiment using the following link

https://vlab.amrita.edu/?sub=1&brch=195&sim=840&cnt=1

1. Determine the minimum frequency required to have Photoelectric effect for an EM radiation,

2. Determine the target material if the threshold frequency of EM radiation is 5.5x10° Hz in a particular photoelectric experimental set up. 3. Determine the maximum kinetic energy of photoelectrons emitted from a Zinc metal surface, if the incident frequency is xx10°Hz. 4. What should be the stopping potential for photoelectrons if the target Material used is Platinum and incident frequency is 2x10°Hz? Make a report of the calculations. 5. Visualization of wave packets using Physlet(@Quantum Physics: The concept of group velocity and phase velocity of a wave packet can be studied using this link https://www.compadre.org/PQP/quantum-need/section5.9.cfm Students can take up the exercises using the link which is as follows https://www.compadre.org/PQP/quantum-need/section5.9.cfm Six different classical wave packets are shown in the animations. Which of the wave packets have a phase velocity that its greater than / less than / equal to the group velocity? Make a report of the observations. 6. Superposition of eigen states in an infinite one - dimensional potential well using QuIvis (Quantum Mechanics Visualization Project): Construct different possible states by considering the first three eigen states and study the variation of probability density with position. Take the challenges after understanding the simulation and submit the report. The link is as follows https://www.standrews.ac.uk/physics/quvis/simulations.html5/sims/SuperpositionStates/SuperpositionStates.html 7. Determination of expectation values of position, momentum for a particle in a an infinite one - dimensional potential well using Physlet@Quantum Physics: The link to the visualization tool for the calculation is as follows https://www.compadre.org/PQP/quantum-theory/prob10_3.cfm A particle is in a one-dimensional box of length L = 1. The states shown are normalized. The results of the integrals that give <>> and <*p>		when incident on a zinc metal surface.
3. Determine the maximum himteic energy of photos-electrons emitted from a Zinc metal surface, if the incident frequency is 3×10°Hz. 4. What should be the stopping potential for photoselectrons if the target Material useal is Platinum and incident frequency is 2×10°Hz. Make a report of the calculations. 5. Visualization of wave packets using Physlet@Quantum Physics: The concept of group velocity and phase velocity of a wave packet can be studied using this link https://www.compadre.org/PQP/quantum-need/section5.9.cfm Students can take up the exercises using the link which is as follows https://www.compadre.org/PQP/quantum-need/probfs_11.cfm Six different classical wave packets are shown in the animations. Which of the wave packets have a phase velocity? Make a report of the observations. 6. Superposition of eigen states in an infinite one - dimensional potential well using QuVis (Quantum Mechanics Visualization Project): Construct different possible states by considering the first three eigen states and study the variation of probability density with position. Take the challenges after understanding the simulation and submit the report. The link is as follows https://www.standrews.ac.uk/physics/quvis/simulations.html5/sims/SuperpositionState s/SuperpositionStates.html 7. Determination of expectation values of position, momentum for a particle in a an infinite one - dimensional potential well using Physlet@Quantum Physics: The link to the visualization tool for the calculation is as follows https://www.compadre.org/PQP/quantum-theory/prob10_3.cfm A particle is in a one-dimensional box of length L = 1. The states shown are normalized. The results of the integrals that give <1> and <1> and <1> and <1> and <1> and <1< and <1 an		
3. Determine the maximum kinetic energy of photo-electrons emitted from a Zinc metal surface, if the incident frequency is \$2.10 °Hz? Also apport of the calculations. 4. What should be the stopping potential for photoelectrons if the target Material used is Platinum and incident frequency is \$2.10 °Hz? Make a report of the calculations. 5. Visualization of wave packets using Physlet@Quantum Physics: The concept of group velocity and phase velocity of a wave packet can be studied using this link https://www.compadre.org/PQP/quantum-need/section5 9.cfm Students can take up the exercises using the link which is as follows https://www.compadre.org/PQP/quantum-need/section5 9.cfm Six different classical wave packets are shown in the animations. Which of the wave packets have a phase velocity that is: greater than / less than / equal to the group velocity? Make a report of the observations. 6. Superposition of eigen states in an infinite one - dimensional potential well using QuVis (Quantum Mechanics Visualization Project): Construct different possible states by considering the first three eigen states and study the variation of probability density with position. Take the challenges after understanding the simulation and submit the report. The link is as follows https://www.standrews.ac.uk/physics/quvis/simulations.html5/sims/SuperpositionStates/SuperpositionStates.html 7. Determination of expectation values of position, momentum for a particle in a an infinite one - dimensional potential well using Physlet@Quantum Physics: The link to the visualization tool for the calculation is as follows https://www.compadre.org/PQP/quantum-theory/prob10_3.cfm A particle is in a one-dimensional box of length L = 1. The states shown are normalized. The results of the integrals that give <≥> and > and > power and > and > you wary n² B) What do you notice about the values of > and > you wary n² Calculate uncertainties on one-dimensional har		
 4. What should be the stopping potential for photoelectrons if the target Material used is Platinum and incident frequency is 2x 10¹⁰Hz² Make a report of the calculations. 5. Visualization of wave packets using Physlet@Quantum Physics: The concept of group velocity and phase velocity of a wave packet can be studied using this link https://www.compadre.org/POP/Quantum-necd/section.5.9.cfm Students can take up the exercises using the link which is as follows https://www.compadre.org/POP/Quantum-necd/prob5_11.cfm Six different classical wave packets are shown in the animations. Which of the wave packets have a phase velocity that is: greater than / less than / equal to the group velocity? Make a report of the observations. 6. Superposition of eigen states in an infinite one - dimensional potential well using QuVis (Quantum Mechanics Visualization Project):		
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Platinum and incident frequency is 2x10°Hz? Make a report of the calculations. Visualization of wave packets using Physlet@Quantum Physics: The concept of group velocity and phase velocity of a wave packet can be studied using this link https://www.compadre.org/PQP/quantum-need/section5_9.cfm Students can take up the exercises using the link which is as follows https://www.compadre.org/PQP/quantum-need/prob5_11.cfm Six different classical wave packets are shown in the animations. Which of the wave packets have a phase velocity that is: greater than / less than / equal to the group velocity? Make a report of the observations. Superposition of eigen states in an infinite one - dimensional potential well using QuVis (Quantum Mechanics Visualization Project): Construct different possible states by considering the first three eigen states and study the variation of probability density with position. Take the challenges after understanding the simulation and submit the report. The link is as follows https://www.standrews.ac.uk/physics/quvis/simulations.html5/sims/SuperpositionState.s/SuperpositionStates.html Determination of expectation values of position, momentum for a particle in a an infinite one - dimensional potential well using Physlet@Quantum Physics: The link to the visualization tool for the calculation is as follows https://www.compadre.org/PQP/quantum-theory/prob10_3.cfm A particle is in a one-dimensional box of length L = 1. The states shown are normalized. The results of the integrals that give <x> and <x²> and > and > you vary n² b) What do you notice about the values of <x> and <x²> as you vary n² b) What do you notice about the values of > and > ps and > you may vary n from 1 to 10. a) What do you notice about the values of > and > and > and > you wary n² b) What do you notice about the values of since a particle in a one-dimensional harmonic oscillator using Physlet@Quantum Physics: The link to the visualization tool for the calculation is as foll</x²></x></x²></x>		
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<u> </u>		a. For $n = 1$, what are Δx and Δp ?

	b. For $n = 10$, what are Δx and Δp ?
10	Write expressions for the three wave functions using Physlet@Quantum Physics: The link to the visualization tool for the calculation is as follows https://www.compadre.org/PQP/quantum-theory/prob8_1.cfm
	These animations show the real (blue) and imaginary (pink) parts of three time-dependent energy eigenfunctions. Assume x is measured in cm and time is measured in seconds.
	 a. Write an expression for each of the three time-dependent energy eigenfunctions in the form: ei(kr-wt). b. What is the mass of the particle? c. What would the mass of the particle be if time was being shown in ms? Make a report of the calculations.
11	If you store a file on your computer today, you probably store it on a solid-state drive (SSD),
	Make a detailed report on the role of quantum tunnelling in these devices.

Curriculum

Program Name	BSc in Physics	Semester	V
Course Title	Elements of Atomic, Molecular & Laser Physics (Theory)		
Course Code	PHY C11-T	No. of Credits	04
Contact Hours	60 Hours	Duration of SEA/Exam	02 Hours
Formative Assessment Marks 40		Summative Assessment Marks	60

Course Pre-requisite (s): PUC Science Knowledge

Course Outcomes (COs): After the completion of the course, the student will be able to

- Describe atomic properties using basic atomic models.
- Interpret atomic spectra of elements using vector atom model.
- Interpret molecular spectra of compounds using basics of molecular physics.
- Explain laser systems and their applications in various fields.

Contents	60 Hours
Basic Atomic models	15
Thomson's atomic model; Rutherford atomic model - Model, Theory of alpha particle	
scattering, Rutherford scattering formula; Bohr atomic model – postulates, Derivation of	
expression for radius, total energy of electron; Origin of the spectral lines; Spectral series of	
hydrogen atom; Effect of nuclear motion on atomic spectra - derivation; Ritz combination	
principle; Correspondence principle; Critical potentials – critical potential, excitation potential	
and ionisation potential; Atomic excitation and its types, Franck-Hertz experiment;	
Sommerfeld's atomic model – model, Derivation of condition for allowed elliptical orbits.	
12 Hours	
Activities: 03 Hours	
1. Students to estimate radii of orbits and energies of electron in case of hydrogen atom	
in different orbits and plot the graph of radii / energy versus principal quantum	
number 'n'. Analyze the nature of the graph and draw the inferences.	
2. Students to search critical, excitation and ionisation potentials of different elements	
and plot the graph of critical /excitation / ionisation potentials versus atomic	
number/mass number/neutron number of element. Analyze the nature of the graph	
and draw the inferences.	
Vector atomic model and optical spectra	15
Vector atom model – model fundamentals, spatial quantisation, spinning electron; Quantum	
numbers associated with vector atomic model; Coupling schemes – L-S and j-j schemes; Pauli's	
exclusion principle; Magnetic dipole moment due to orbital motion of electron – derivation;	
Magnetic dipole moment due to spin motion of electron; Lande g-factor and its calculation for	
different states; Stern-Gerlach experiment – Experimental arrangement and Principle; Fine	
structure of spectral lines with examples; Spin-orbit coupling/Spin-Orbit Interaction -	
qualitative; Optical spectra – spectral terms, spectral notations, selection rules, intensity rules;	
Fine structure of the sodium D-line; Zeeman effect: Types, Experimental study and classical	
theory of normal Zeeman effect, Zeeman shift expression (no derivation), examples; Stark	

effect: Experimental study, Types and examples. 12Hours **Activities:** 03 Hours 1. Students to couple a p-state and s-state electron via L-S and j-j coupling schemes for a system with two electrons and construct vector diagrams for each resultant. Analyze the coupling results and draw the inferences. 2. Students to estimate magnetic dipole moment due to orbital motion of electron for different states ${}^{2}P_{1/2}$, ${}^{2}P_{3/2}$, ${}^{2}P_{5/2}$, ${}^{2}P_{7/2}$, ${}^{2}P_{9/2}$ and ${}^{2}P_{11/2}$ and plot the graph of dipole moment versus total orbital angular momentum "J'. Analyze the nature of the graph and draw the inferences. **Molecular Physics** 15 Types of molecules based on their moment of inertia; Types of molecular motions and energies; Born-Oppenheimer approximation; Origin of molecular spectra; Nature of molecular spectra; Theory of rigid rotator - energy levels and spectrum, Qualitative discussion on Non-rigid rotator and centrifugal distortion; Theory of vibrating molecule as a simple harmonic oscillator – energy levels and spectrum; Electronic spectra of molecules – fluorescence and phosphorescence; Raman effect - Stoke's and anti-Stoke's lines, characteristics of Raman spectra, classical and quantum approaches, Experimental study of Raman effect; Applications of Raman effect. 12 Hours **Activities:** 03 Hours 1. Students to estimate energy of rigid diatomic molecules CO, HCl and plot the graph of rotational energy versus rotational quantum number 'J'. Analyse the nature of the graph and draw the inferences. Also students study the effect of isotopes on rotational energies. 2. Students to estimate energy of harmonic vibrating molecules CO, HCl and plot the graph of vibrational energy versus vibrational quantum number 'v'. Analyse the nature of the graph and draw the inferences. **Laser Physics** 15 Ordinary light versus laser light; Characteristics of laser light; Interaction of radiation with matter - Induced absorption, spontaneous emission and stimulated emission with mention of rate equations; Einstein's A and B coefficients – Derivation of relation between Einstein's coefficients and radiation energy density; Possibility of amplification of light; Population inversion; Methods of pumping; Metastable states; Requisites of laser – energy source, active medium and laser cavity; Difference between Three level and four level lasers with examples; Types of lasers with examples; Construction and Working principle of Ruby Laser and He-Ne Laser; Application of lasers (qualitative) in science & research, isotope separation, communication, medicine, fusion, industry, war space. 12 Hours **Activities:** 03 Hours 1. Students to search different lasers used in medical field (ex: eye surgery, endoscopy, dentistry etc.), list their parameters and analyse the need of these parameters for specific application, and draw the inferences. Students also make the presentation of the study. 2. Students to search different lasers used in defense field (ex: range finding, laser weapon, etc.), list their parameters and analyse the need of these parameters for specific application, and draw the inferences. Students also make the presentation of the study.

Pedagogy: Lecture/ PPT/ Videos/ Animations/ Role Plays/ Think-Pair-Share/ Predict-Observe-Explain/ Demonstration/ Concept mapping/ Case Studies examples/ Tutorial/ Activity/ Flipped Classroom/ Jigsaw/

Field based Learning/ Project Based Learning/ Mini Projects/ Hobby Projects/ Forum Theatre/ Dance/ Problem Based Learning/ Game Based Learning/ Group Discussion/ Collaborative Learning/ Experiential Learning / Self Directed Learning etc.

Formative Assessment for Theory			
Assessment Occasion/ type	Marks		
Total	40 Marks		
Formative Assessment as per UNIVERSITY guidelines are compulsory			

	References
1	Modern Physics, R. Murugeshan, Kiruthiga Sivaprakash, Revised Edition, 2009, S. Chand & Company Ltd.
2	Atomic & Molecular spectra: Laser, Raj Kumar, Revised Edition, 2008, Kedar Nath Ram Nath Publishers, Meerut.
3	Atomic Physics, S.N. Ghoshal, Revised Edition, 2013, S. Chand & Company Ltd.
4	Concepts of Atomic Physics, S.P. Kuila, First Edition, 2018, New Central Book Agency (P) Ltd.
5	Concepts of Modern Physics, Arthur Beiser, Seventh Edition, 2015, Shobhit Mahajan, S. Rai Choudhury, 2002, McGraw-Hill.
6	Fundamentals of Molecular Spectroscopy, C.N. Banwell and E.M. McCash, Fourth Edition, 2008, Tata McGraw-Hill Publishers.
7	Elements of Spectroscopy – Atomic, Molecular and Laser Physics, Gupta, Kumar and Sharma, 2016, Pragati Publications.

Course Title			Practical Credits	02
Course Code	PHY C12-P		Contact Hours	04 Hours
Formative Ass	sessment 25 Marks	Summative As	sessment	25 Marks
	Practical Content			

NOTE: Students have to perform at-least EIGHT Experiments from the list below LIST OF EXPERIMENTS

- 1. To determine Planck's constant using Photocell.
- 2. To determine Planck's constant using LED.
- 3. To determine wavelength of spectral lines of mercury source using spectrometer.
- 4. To determine the value of Rydberg's constant using diffraction grating and hydrogen discharge tube.
- 5. To determine the wavelength of H-alpha emission line of Hydrogen atom.
- 6. To determine fine structure constant using fine structure separation of sodium D-lines using a plane diffraction grating.
- 7. To determine the ionization potential of Mercury/Xenon.
- 8. To determine the absorption lines in the rotational spectrum of Iodine vapour.
- 9. To determine the force constant and vibrational constant for the iodine molecule from its absorption spectrum.
- 10. To determine the wavelength of laser using diffraction by single slit/double slits.
- 11. To determine wavelength of He-Ne laser using plane diffraction grating.
- 12. To determine angular spread of He-Ne laser using plane diffraction grating.
- 13. Study of Raman scattering by CCl₄ using laser and spectrometer/CDS.
- 14. To determine the diameter of the given wire by LASER diffraction.
- 15. Analysis of Stellar Spectra.
- 16. Analysis of Band Spectra.

Pedagogy: Demonstration/Experiential Learning / Self Directed Learning etc.

Formative Assessment for Practical			
Assessment Occasion/ type	Marks		
Total	25 Marks		
Formative Assessment as per UNIVERSITY guidelines are compulsory			

	References
1	Practical Physics, D.C. Tayal, First Millennium Edition, 2000, Himalaya Publishing House.
2	B.Sc. Practical Physics, C.L. Arora, Revised Edition, 2007, S. Chand & Comp.Ltd.
	An Advanced Course in Practical Physics, D. Chatopadhyaya, P.C. Rakshith, B. Saha, Revised Edition, 2002, New Central Book Agency Pvt. Ltd.
4	Physics through experiments, B. Saraf, 2013, Vikas Publications.

B.Sc in Physics VI Semester

Curriculum

Program Name	BS	Sc in Physics		Semester	VI
Course Title	Elem	Elements of Condensed Matter & Nuclear Physics(Theory)			
Course Code	PHY C14 - T			No. of Credits	4
Contact Hours	60	Hours	Duration of SEA/Exam		2 Hours
Formative Marks	Assessment	40	Sum	mative Assessment Marks	60

4

Course Pre-requisite(s):

Course Outcomes (COs): After the successful completion of the course, the student will be able to:

- Explain the basic properties of nucleus and get the idea of its inner information.
- Understand the concepts of binding energy and binding energy per nucleon v/s mass number graph.
- Describe the processes of alpha, beta and gamma decays based on well-established theories.
- Explain the basic aspects of interaction of gamma radiation with matter by photoelectric effect, Compton scattering and pair production.
- Explain the different nuclear radiation detectors such as ionization chamber, Geiger-Mueller counter etc.
- Explain the basic concept of scintillation detectors, photo-multiplier tube and semiconductor detectors.

Contents	60 Hours
Crystal systems and X-rays: Crystal structure: Space Lattice, Lattice translational vectors, Basis of crystal structure, Types of unit cells, primitive, non-primitive cells Seven crystal system, Coordination numbers, Miller Indices, Expression for inter planner spacing. X Rays: Production and properties of X rays, Coolidge tube, Continuous and characteristic X-ray spectra; Moseley's law. X-Ray diffraction, Scattering of X-rays, Bragg's law. Crystal diffraction: Bragg's X-ray spectrometer- powder diffraction method, Intensity vs 2θ plot (qualitative).	15
Free electron theory of metals: Classical free electron model (Drude-Lorentz model), expression for electrical and thermal conductivity, Weidman-Franz law, Failure of classical free electron theory; Quantum free electron theory, Fermi level and Fermi energy, Fermi-Dirac distribution function (expression for probability distribution $F(E)$, statement only); Fermi Dirac distribution at $T=0$ and $E < E_f$, at $T \ne 0$ and $E > E_f$, $F(E)$ vs E plot at $T=0$ and $T \ne 0$. Density of states for free electrons (statement only, no derivation). Qualitative discussion of lattice vibration and concept of Phonons. Specific heats of solids: Classical theory, Einstein's and Debye's theory of specific heats. Hall Effect in metals.	
12 HOURS	
ACTIVITIES: 03 HOURS	
Magnetic Properties of Matter, Dielectrics and Superconductivity Magnetic Properties of Matter	15
Review of basic formulae: Magnetic intensity, magnetic induction, permeability, magnetic susceptibility, magnetization (M), Classification of Dia, Para, and ferro magnetic materials;	

Langevin Classical Theory of dia - and Paramagnetism. Curie's law, Ferromagnetism and Ferromagnetic Domains (qualitative). Discussion of B-H Curve. Hysteresis and Energy Loss, Hard and Soft magnetic materials Dielectrics: Static dielectric constant, polarizability (electronic, ionic and orientation), calculation of Lorentz field (derivation), Clausius-Mosotti equation (derivation), dielectric loss. Piezo electric effect, cause, examples and applications. Superconductivity: Definition, Experimental results - Zero resistivity and Critical temperature—The critical magnetic field—Meissner effect, Type I and type II superconductors. 12 Hours **ACTIVITIES:** 03 Hours General Properties of Nuclei: Constituents of nucleus and their intrinsic properties, 15 quantitative facts about mass, radii, charge density (matter density), binding energy, main features of binding energy versus mass number curve, angular momentum, parity, magnetic moment, electric moments Radioactivity decay: Radioactivity: definition of radioactivity, half-life, mean life, radioactivity equilibrium (a) Alpha decay: basics of α -decay processes, theory of α emission (brief), Gamow factor, Geiger-Nuttall law. (b) β-decay: energy kinematics for β-decay, positron emission, electron capture, neutrino hypothesis. (c) Gamma decay: Gamma rays' emission & kinematics, internal conversion (Definition). 12 Hours **ACTIVITIES:** 03 Hours Interaction of Nuclear Radiation with matter: Gamma ray interaction through matter, 15 photoelectric effect, Compton scattering, pair production, Energy loss due to ionization (quantitative description of Bethe Block formula), energy loss of electrons, introduction of Cerenkov radiation Detector for Nuclear Radiations: Gas detectors: estimation of electric field, mobility of particle, for ionization chamber and GM Counter. Basic principle of Scintillation Detectors and construction of photo-multiplier tube (PMT). Semiconductor Detectors (Si and Ge) for charge particle and photon detection (concept of charge carrier and mobility) qualitative only, Accelerators: Cyclotrons and Synchrotrons. 12 Hours 03 Hours **ACTIVITIES: Suggested Activities:** 1) Students to construct seven crystal systems with bamboo sticks and rubber bands. Use foam

- ball as atoms and study the BCC and FCC systems.
- 2)Students to search the characteristic X ray wavelength of different atoms/elements and plot characteristic wavelength vs atomic number and analyse the result and draw the inference.
- 3) Magnetic field lines are invisible. Students to trace the magnetic field lines using bar magnet https://nationalmaglab.org/magnet-academy/try-this-atcompass. home/drawing-magnetic-field-lines/,
- 4) Using vegetable oil and iron fillings students to make ferrofluids and see how it behaves in the presence of magnetic field. https://nationalmaglab.org/magnet-academy/try-this-athome/making-ferrofluids/
- 1) Study the decay scheme of selected alpha, beta & gamma radioactive sources with the help of standard nuclear data book.
- Calculate binding energy of some selected light, medium and heavy nuclei. Plot the graph of binding energy versus mass number A
- Study the decay scheme of standard alpha, beta and gamma sources using nuclear data 3) book.
- Make the list of alpha emitters from Uranium series and Thorium series. Search the 4) kinetic energy of alpha particle emitted by these alpha emitters. Collect the required data such as half life or decay constant. Verify Geiger-Nuttal in each series.
- 5) Study the Z dependence of photoelectric effect cross section.
- Study the Z dependence of common cross section for selected gamma energies and selected elements through theoretical calculation.
- List the materials and their properties which are used for photocathode of PMT.

8)	Study any two types of PMT and their advantages and disadvantages.	

Pedagogy: Lecture/ PPT/ Videos/ Animations/ Role Plays/ Think-Pair-Share/ Predict-Observe-Explain/ Demonstration/ Concept mapping/ Case Studies examples/ Tutorial/ Activity/ Flipped Classroom/ Jigsaw/ Field based Learning/ Project Based Learning/ Mini Projects/ Hobby Projects/ Forum Theatre/ Dance/ Problem Based Learning/ Game Based Learning/ Group Discussion/ Collaborative Learning/ Experiential Learning / Self Directed Learning etc.

Formative Assessment for Theory		
Assessment Occasion/ type	Marks	
Total	40 Marks	

Formative Assessment as per UNIVERSITY guidelines are compulsory

References

- 1. Solid State Physics-R. K. Puri and V.K. Babber., S.Chand publications, 1st Edition (2004).
- 2. Fundamentals of Solid State Physics-B.S.Saxena, P.N. Saxena, Pragati prakashan Meerut (2017).
- 3. Introductory nuclear Physics by Kenneth S. Krane (Wiley India Pvt. Ltd., 2008).
- 4. Nuclear Physics, Irving Kaplan, Narosa Publishing House
- 1. Introduction to solid State Physics, *Charles Kittel*, VII edition, (1996)
- 5. Solid State Physics- A J Dekker, MacMillan India Ltd, (2000)
- 6. Essential of crystallography, M A Wahab, Narosa Publications (2009)
- 7. Solid State Physics-S O Pillai-New Age Int. Publishers (2001).
- 8. Concepts of nuclear physics by Bernard L. Cohen. (Tata McGraw Hill, 1998).
- 9. Introduction to the physics of nuclei & particles, R.A. Dunlap. (Thomson Asia, 2004).
- 10. Introduction to High Energy Physics, D.H. Perkins, Cambridge Univ. Press
- 11. Basic ideas and concepts in Nuclear Physics An Introductory Approach by K. Heyde (Institute of Physics (IOP) Publishing, 2004).
- 12. Radiation detection and measurement, G.F. Knoll (John Wiley & Sons, 2000).
- 13. Physics and Engineering of Radiation Detection, Syed Naeem Ahmed (Academic Press, Elsevier, 2007).

Course Title	Elements of Condensed Matter & Nuclear Physics (Practical)			Practical Credits	02
Course Code	Course Code PHY C15 – P			Contact Hours	04 Hours
Formative Asse	Formative Assessment 25 Marks Summative			Assessment	25 Marks
Practical Content					

(At least 4 experiments from CMP and 4 experiments from NP are to be performed) CONDENSED MATTER PHYSICS(CMP)

- 1. Hall Effect in semiconductor: determination of mobility, hall coefficient.
- 2. Energy gap of semiconductor (diode/transistor).
- **3.** Temperature coefficient of resistance of a Thermistor.
- 4. Fermi Energy of Copper.
- 5. Analysis of X-ray diffraction spectra and calculation of lattice parameter.
- 6. Specific Heat of Solid by Electrical Method
- 7. Determination of Dielectric Constant of polar liquid.
- 8. Determination of dipole moment of organic liquid
- 9. B-H Curve Using CRO.
- 10. Determination of particle size from XRD pattern using Debye-Scherrer formula.
- 11. Measurement of susceptibility of paramagnetic solution (Quinck's Tube Method).
- 12. Measurement of susceptibility of paramagnetic solid (Gouy's Method)
- 13. Determination of particle size from XRD pattern using Williamson Hall Plot.

NUCLEAR PHYSICS(NP)

- 1. Study the characteristics of Geiger-Mùller Tube. Determine the threshold voltage, plateau region and operating voltage.
- 2. Study of inverse square law of gamma rays using GM tube.
- 3. Detrmination of range of electrons in aluminium using GM Counter.
- 4. Study the absorption of beta particles in aluminium foils using GM counter. Determine mass attenuation coefficient of Aluminium foils.
- 5. Study the absorption of beta particles in thin copper foils using G M counter and determine mass attenuation coefficient.
- 6. Study the attenuation of gamma rays in lead foils using Cs-137 source and G M counter. Calculate mass attenuation coefficient of Lead for Gamma.
- 7. Determine the end point energy of Tl-204 source by studying the absorption of beta particles in aluminium foils.
 - Study the attenuation of absorption of gamma rays in polymeric materials using Cs-137 source and G M counter.

Pedagogy: Demonstration/Experiential Learning / Self Directed Learning etc.

Formative Assessment for Practical			
Assessment Occasion/ type	Marks		
Total	25 Marks		
Formative Assessment as per UNIVERSITY guidelines are compulsory			
References			
1 IGNOU : Practical Physics Manual			
Saraf : Experiment in Physics, Vikas Publications			
S.P. Singh : Advanced Practical Physics			
Melissons : Experiments in Modern Physics			
Misra and Misra, Physics Lab. Manual, South Asian publishers, (2000)			
Gupta and Kumar, Practical physics, Pragati prakashan, (1976)			

Curriculum

Program Name	BS	BSc in Physics		Semester	VI
Course Title	Electronic Instrumentation & Sensors (Theory)				
Course Code:	РНҮ С16 - Т		No. of Credits		04
Contact Hours	60 Hours D		Duration of SEA/Exam		2 Hours
Formative Marks	Assessment	40	Sum	mative Assessment Marks	60

Course Pre-requisite(s):

Course Outcomes (COs): After the successful completion of the course, the student will be able to:

- Identify different types of tests and measuring instruments used in practice and understand their basic working principles.
- Get hands on training in wiring a circuit, soldering, making a measurement using an electronic circuit used in instrumentation.
- Have an understanding of the basic electronic components viz., resistors, capacitors, inductors, discrete and integrated circuits, colour codes, values and pin diagram, their practical use.
- Understanding of the measurement of voltage, current, resistance value, identification of the terminals of a transistor and ICs.
- Identify and understand the different types of transducers and sensors used in robust and hand-held instruments.
- Understand and give a mathematical treatment of the working of rectifiers, filter, data converters and different types of transducers.
- Connect the concepts learnt in the course to their practical use in daily life.
- Develop basic hands-on skills in the usage of oscilloscopes, multimeters, rectifiers, amplifiers, oscillators and high voltage probes, generators and digital meters.
- Servicing of simple faults of domestic appliances: Iron box, immersion heater, fan, hot plate, battery charger, emergency lamp and the like.

	1
Contents	60Hours
Power supply AC power and its characteristics, Single phase and three phase, Need for DC power supply and	15
its characteristics, line voltage and frequency, Rectifier bridge, Filters: Capacitor and inductor	
filers, L-section and π -section filters, ripple factor, electronic voltage regulators, stabilization factor, voltage regulation using ICs.	
Basic electrical measuring instruments	
Cathode ray oscilloscope- Block diagram, basic principle, electron beam, CRT features, signal display. Basic elements of digital storage oscilloscopes.	
Basic DC voltmeter for measuring potential difference, Extending Voltmeter range, AC voltmeter using rectifiers, Basic DC ammeter, requirement of a shunt, Extending of ammeter	
ranges. Topics for self-study:	
Average value and RMS value of current, Ripple factor, Average AC input power and DC output	
power, efficiency of a DC power supply. Multirange voltmeter and ammeter. 12 Hours ACTIVITIES: 03 Hours	
Activities	

 Design and wire your own DC regulated power supply. Power output: 5 V, 10 V, ± 5 V. Components required: A step down transformer, semiconductor diodes (BY126/127), Inductor, Capacitor, Zener diode or 3-pin voltage regulator or IC. Measure the ripple factor and efficiency at each stage. Tabulate the result. 1. Extend the range of measurement of voltage of a voltmeter (analog or digital) using external component and circuitry. Design your own circuit and report. 2. Measure the characteristics of the signal waveform using a CRO and function generator. Tabulate the frequency and time period. Learn the function of Trigger input in an CRO. 	
3. Learn to use a Storage Oscilloscope for measuring the characteristics of a repetitive input signal. Convince yourself how signal averaging using Storage CRO improves S/N ratio.	
Wave form generators and Filters	15
Basic principle of standard AF signal generator: Fixed frequency and variable frequency, AF sine and square wave generator, basic Wein-bridge network and oscillator configuration, Triangular and saw tooth wave generators, circuitry and waveforms.	
Passive and active filters. Fundamental theorem of filters, Proof of the theorem by considering a symmetrical T-network. Types of filters, Circuitry and Cut-off frequency and frequency response of Passive (RC) and Active (op-amp based) filters: Low pass, high pass and band pass. 12 Hours ACTIVITIES: 03 Hours	
Activities 1. Measure the amplitude and frequency of the different waveforms and tabulate the results.	
Required instruments: A 10 MHz oscilloscope, Function generators (sine wave and square wave). 2. Explore where signal filtering network is used in real life. Visit a nearby telephone exchange and discuss with the Engineers and technicians. Prepare a report.	
3. Explore op-amp which works from a single supply biasing voltage (+15V). Construct an inverting/non-inverting amplifier powered by a single supply voltage instead of dual or bipolar supply voltage.	
4. Op-amp is a linear (analog) IC. Can it be used to function as logic gates? Explore, construct and implement AND, OR NAND and NOR gate functions using op-amps. Verify the truth table. Hint: LM3900 op-amp may be used. The status of the output may be	
checked by LED.	
Data Conversion and display Digital to Analog (D/A) and Analog to Digital (A/D) converters – A/D converter with pre- amplification and filtering. D/A converter - Variable resistor network, Ladder type (R-2R) D/A converter, Op-amp based D/A converter. Digital display systems and Indicators- Classification of displays, Light Emitting Diodes (LED) and Liquid Crystal Display (LCD) – Structure and working.	15
and Elquid Crystal Display (ECD) – Structure and working.	
Data Transmission systems – Advantages and disadvantages of digital transmission over analog transmission, Pulse amplitude modulation (PAM), Pulse time modulation (PTM) and Pulse width modulation (PWM)- General principles. Principle of Phase Sensitive Detection (PSD).	
Topic for self-study: Lock-in amplifier and its application, phase locked loop. ACTIVITIES: O3 Hours	
Activities 1. Explore where modulation and demodulation technique is employed in real life. Visit a	
Radio broadcasting station. (Aakashavani or Private). Prepare a report on different AM and FM stations.	
2. Explore and find out the difference between a standard op-amp and an instrumentation op-amp. Compare the two and prepare a report.	
Transducers and sensors	15
Definition and types of transducers. Basic characteristics of an electrical transducer, factors governing the selection of a transducer, Resistive transducer-potentiometer, Strain gauge and types (general description). Resistance, thermometer platinum, resistance, thermometer	10
types (general description), Resistance thermometer-platinum resistance thermometer.	Dogo 22

Thermistor. Inductive Transducer-general principles, Linear Variable Differential Transducer (LDVT)- principle and construction, Capacitive Transducer, Piezo-electric transducer, Photoelectric transducer, Photovoltaic cell, photo diode and phototransistor – principle and working.

ACTIVITIES: 03 Hours

Activities

- 1. Construct your own thermocouple for the measurement of temperature with copper and constantan wires. Use the thermocouple and a Digital multimeter (DMM). Record the emf (voltage induced) by maintaining one of the junctions at a constant temperature (say at 0° C, melting ice) and another junction at variable temperature bath. Tabulate the voltages induced and temperatures read out using standard chart (Chart can be downloaded from the internet).
- 2. Observe a solar water heater. Some solar water heaters are fitted with an anode rod (alloy of aluminium). Study why it is required. Describe the principle behind solar water heater.

Pedagogy: Lecture/ PPT/ Videos/ Animations/ Role Plays/ Think-Pair-Share/ Predict-Observe-Explain/ Demonstration/ Concept mapping/ Case Studies examples/ Tutorial/ Activity/ Flipped Classroom/ Jigsaw/ Field based Learning/ Project Based Learning/ Mini Projects/ Hobby Projects/ Forum Theatre/ Dance/ Problem Based Learning/ Game Based Learning/ Group Discussion/ Collaborative Learning/ Experiential Learning / Self Directed Learning etc.

Formative Assessment for Theory		
Assessment Occasion/ type	Marks	
Total	40 Marks	
Formative Assessment as per UNIVERSITY guidelines are compulsory		

References

- 1. Physics for Degree students (Third Year) C.L. Arora and P.S. Hemne, S, Chand and Co. Pvt. Ltd. 2014 (For Unit-1, Power supplies)
- 2. Electronic Instrumentation, 3rd Edition, H.S. Kalsi, McGraw Hill Education India Pvt. Ltd. 2011 (For rest of the syllabus)
- 3. Instrumentation Devices and Systems (2nd Edition)– C.S. Rangan, G.R. Sarma, V.S.V. Mani, Tata McGraw Hill Education Pvt. Ltd. (Especially for circuitry and analysis of signal generators and filters)

Course Title	Electr (Prac	onic Instrumentation tical)	&	Sensors	Practical Credits	02
Course Code PHY C17 – P			Contact Hours	04 Hours		
Formative Assessment 25 Marks Su		Summative Assessment		25 Marks		

Practical Content

List of experiments (At least 8 experiments to be performed)

- 1. Bridge rectifier with and without filter
- 2. Phase measurement in LCR circuit using CRO
- 3. Study of Zener diode as a voltage regulator.
- 4. RC low pass and high pass filters.
- 5. Calibration of a low range voltmeter using a potentiometer
- 6. Calibration of an ammeter using a potentiometer
- 7. Study of Wien bridge oscillator
- 8. Study the frequency response of a first order op-amp low pass filter
- 9. Study the frequency response of a first order op-amp high pass filter
- 10. Study of LDR Characteristics.
- 11. Study the characteristics of pn-junction of a solar cell and determine its efficiency.
- 12. Study the illumination intensity of a solar cell using a standard photo detector (e.g., lux meter).
- 13. Determine the coupling coefficient of a piezo-electric crystal.
- 14. Study the amplitude modulation using a transistor.
- 15. Performance analysis of A/D and D/A converter using resistor ladder network and op-amp.

Pedagogy: Lecture/ PPT/ Videos/ Animations/ Role Plays/ Think-Pair-Share/ Predict-Observe-Explain/ Demonstration/ Concept mapping/ Case Studies examples/ Tutorial/ Activity/ Flipped Classroom/ Jigsaw/ Field based Learning/ Project Based Learning/ Mini Projects/ Hobby Projects/ Forum Theatre/ Dance/ Problem Based Learning/ Game Based Learning/ Group Discussion/ Collaborative Learning/ Experiential Learning / Self Directed Learning etc.

Formative Assessment for Practical			
Assessment Occasion/ type	Marks		
Total	25 Marks		
Formative Assessment as per University guidelines are compulsory			

References

- 1. Advanced Practical Physics for students, B. L. Flint and H.T. Worsnop, 1971, Asia Publishing House
- 2. B.Sc. Practical Physics, C.L. Arora (Revised Edition), S. Chand and Co. Ltd. 2007
- 3. Practical Physics, D.C. Tayal, First Millennium Edition, Himalaya Publishing House, 2000

Employability and skill development

The whole syllabus is prepared with a focus on employability.

Skill development achieved: Fundamental understanding of the working of test and measuring instruments. Operating and using them for measurements. Servicing of laboratory equipment for simple cable faults, loose contacts and discontinuity.

Job opportunities: Lab Assistant/Scientific Assistant in hospitals, R and D institutions, educational institutions.